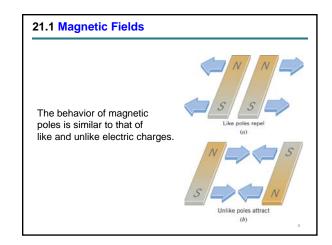
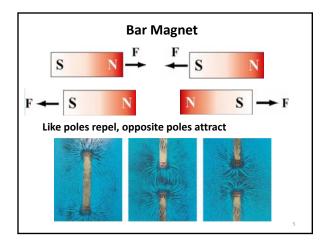
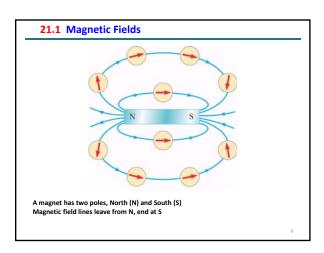


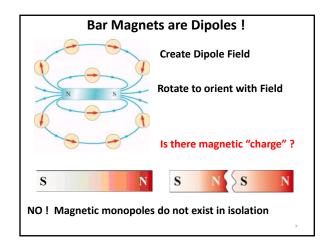
Goals for Chapter 21

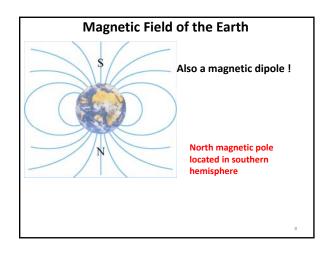
- · To observe and visualize magnetic fields and forces.
- To study the motion of a charged particle in a magnetic field.
- To evaluate the magnetic force on a current-carrying conductor.
- · To study the fields generated by long, straight conductors.
- To observe the changes in the field with the conductor in loops (forming the solenoid).
- To calculate the magnetic field due to a straight currentcarrying wire.
- To understand magnetic materials.







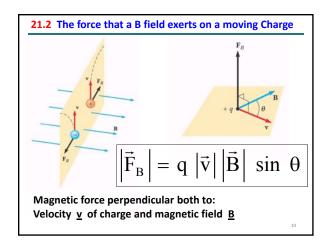


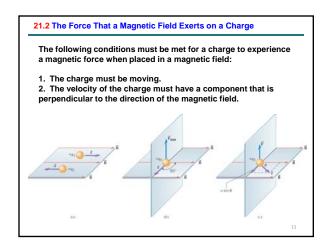


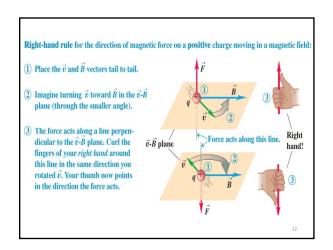
What force does a magnetic field exert on charges?

• NONE!
• (If the charge is not moving with respect to field)

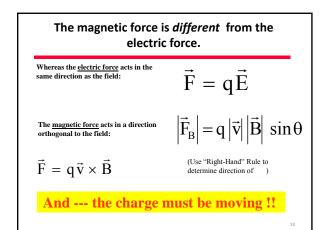
• If the charge is moving, however, there is a force on the charge, perpendicular to both $\vec{\mathbf{v}}$ and $\vec{\mathbf{B}}$.

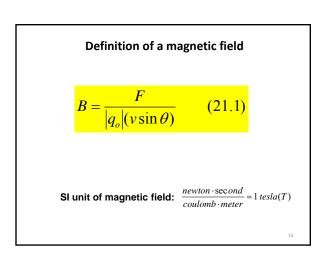


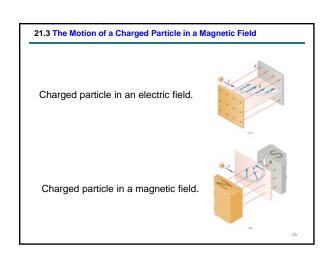


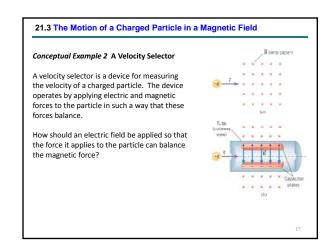


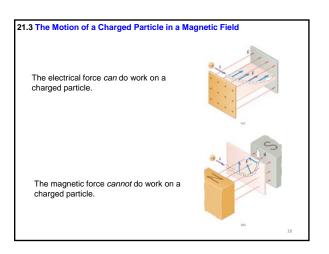
21.2 The Force That a Magnetic Field Exerts on a Charge Right Hand Rule No. 1. Extend the right hand so the fingers point along the direction of the magnetic field and the thumb points along the velocity of the charge. The palm of the hand then faces in the direction of the magnetic force that acts on a positive charge. If the moving charge is negative, the direction of the force is opposite to that predicted by RHR-1.

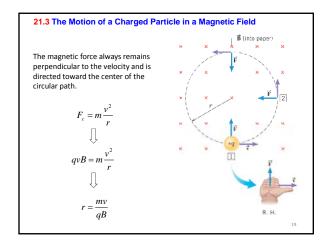


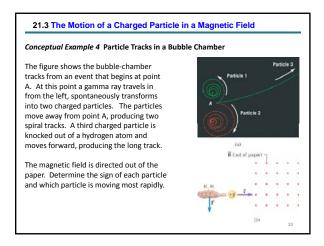


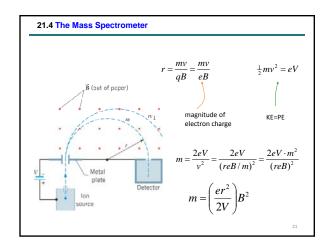


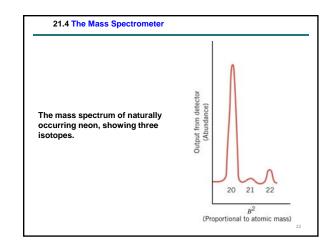


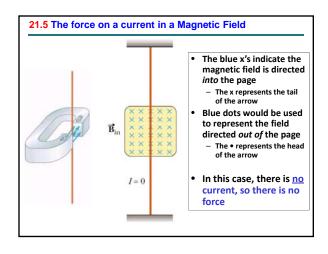


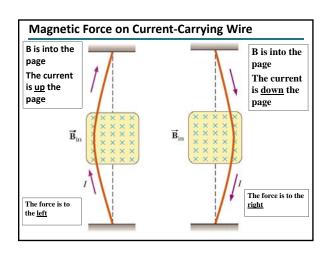


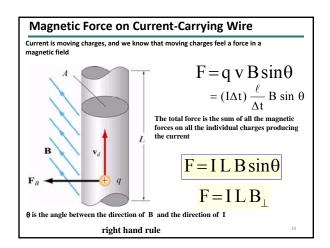


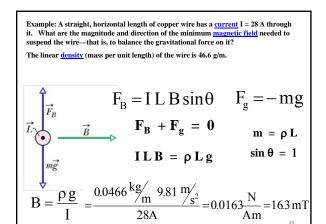


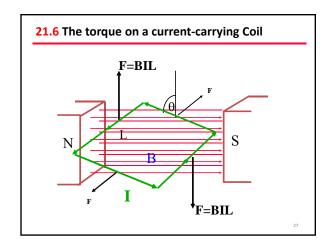


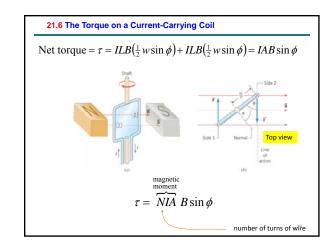


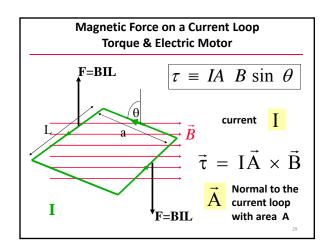


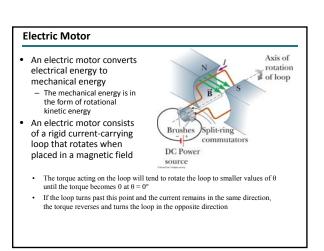






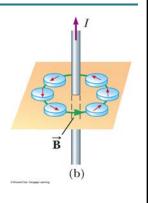


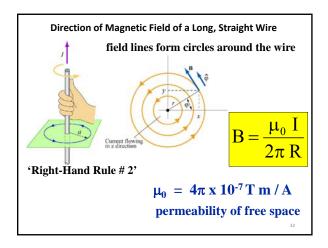




21.7 Magnetic fields produced by currents

- A current-carrying wire produces a magnetic field
- The compass needle deflects in directions tangent to the B field
 - The compass needle points in the direction of the magnetic field produced by the current

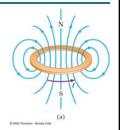




Magnetic Field of a Current Loop

The magnitude of the magnetic field at the center of a circular loop with a radius R and carrying current I is



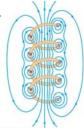


• With N loops in the coil, this becomes

$$B = N \frac{\mu_o I}{2R}$$

Magnetic Field of a Solenoid

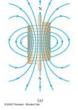
- If a long straight wire is bent into a coil of several closely spaced loops, the resulting device is called a solenoid
- It is also known as an electromagnet since it acts like a magnet only when it carries a current



- The field lines inside the solenoid are nearly parallel, uniformly spaced, and close together
 - This indicates that the field inside the solenoid is nearly uniform and strong
- · The exterior field is nonuniform, much weaker, and in the opposite direction to the field inside the solenoid

Magnetic Field of a Solenoid

• The field lines of a closely spaced solenoid resemble those of a bar



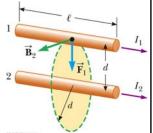


- The magnitude of the field inside a solenoid is constant at all points far from its ends
- $\mathbf{B} = \boldsymbol{\mu}_0 \, \mathbf{n} \, \mathbf{I}$
 - n is the number of turns per unit length
 - -n=N/L

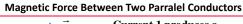
Magnetic force between two parallel conductors

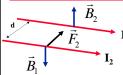
- The force on wire 1 is due to the current in wire 1 and the magnetic field produced by wire 2
- The force per unit length





- Parallel conductors carrying currents in the same direction attract each other
- Parallel conductors carrying currents in the opposite directions repel each other





Current 1 produces a magnetic field $B_1 = \mu_0 I / (2\pi d)$ I_1 at the position of wire 2.

This produces a force on current 2:

$$\left| \vec{\mathbf{F}}_{2} \right| = \mathbf{I}_{2} \left| \vec{\mathbf{L}} \right| \left| \vec{\mathbf{B}}_{1} \right|$$

For parallel wires the force on a length L of wire 2 is:

$$F_2 = I_2 L B_1 = \frac{\mu_\theta I_1 I_2 L}{2\pi\,d} \quad \ ^{\text{or}} \quad \ ^{\text{or}} \quad \label{eq:F2}$$

$$\frac{F_2}{L} = \frac{\mu_{\theta} I_1 I_2}{2\pi d}$$

What is the force on wire 1?

What happens if one current is reversed?

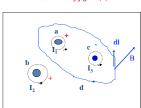
21.8 Ampere's Law

Draw an "Amperian loop" around the sources of current.

The sum of the tangential component of B around this loop is equal to $\mu_0 I$:

$$\sum B_{\parallel} \Delta s = \mu_0 I_{enc}$$

blue - into figure (\blacksquare) $red \ - \ out \ of \ figure \ (+)$



Ampere's Law - a sum along a line

Different Loops: a, b, c, d

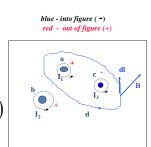
$$\sum B_{\parallel} \Delta s = \mu_0 I_1$$

$$\nabla R \Lambda_{S-11} I$$

$$\sum_{n} \mathbf{D} \mathbf{A}_{n} \dots \mathbf{C} \mathbf{I}$$

$$\sum B_{ij} As = \mu_{ij} (I_{ij} - I_{ij})$$

$$\begin{split} &\sum B_{\parallel} \Delta s = \mu_0 I_2 \\ &\sum B_{\parallel} \Delta s = \mu_0 (-I_3) \\ &\sum B_{\parallel} \Delta s = \mu_0 (I_1 - I_3) \end{split}$$



Ampere's Law to find B for a long straight wire

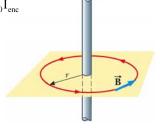
- Use a closed circular path
- The circumference of the circle is 2

$$\sum\,B_{\parallel}\Delta s = \mu_{\,0}I_{\,\text{enc}}$$

 $\sum B_{\parallel} \Delta s = B \sum \Delta s = \mu_0 I_{enc}$

$$B 2\pi r = \mu_0 I_{enc}$$

$$B = \frac{\mu_o I}{2\pi r}$$



Gauss's Law Ampere's Law The total "flux" of E-field The total "curl" of B-field lines depends only on the lines depends only on the amount of charge inside current punching through the loop