

~~QUESTION 3~~

OF OPER' LINKS?

$$\frac{\sum_{n=0}^N n \exp(-n \epsilon / \beta)}{\sum_{n=0}^N \exp(-n \epsilon / \beta)} = ?$$

\bar{n}

$$x = G e^{-\epsilon / \beta}$$

$$= \frac{\sum_{n=0}^N \frac{n x^n}{x^n}}{\sum_{n=0}^N x^n} = x \frac{d}{dx} \log Z$$

$$= \frac{(N+1)x^{N+1}}{x^{N+1}-1} - \frac{x}{x-1}$$

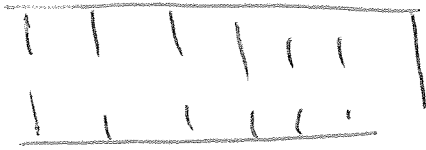
$$T = \infty \quad \beta = 0 \quad x \rightarrow G \quad \langle n \rangle = \frac{(N+1)G^{N+1}}{G^{N+1}-1} - \frac{G}{G-1} = \bar{n}$$

FOR $N=1024 \Rightarrow$ SHOW GRAPH

$$G \rightarrow \infty \sim 10^4$$

$$\langle n \rangle = N - 1$$

$L \rightarrow$ UNZIP FROM LEFT ONLY
 17 C/A/P



N BASE PAIRS

EACH UNZIPPING COST ϵ

$$Z = \sum_{n=0}^N e^{-n\epsilon} = ? \quad \text{EXP} \sum_{n=0}^N G^n e^{-n\epsilon}$$

$$\sum_{n=0}^N x^n = \frac{1 - x^{(N+1)}}{1 - x}$$

$$Z = \frac{1 - G \exp(-(N+1)\epsilon)}{1 - \exp(-\epsilon)}$$

$\chi_c = 1$ SEEMS TO GO CRAZY

DEFINE $\eta = \chi - 1$ EXPAND AROUND ZERO

$$\log Z \approx \log N + \frac{1}{2} N \eta + \frac{1}{24} N^3 \eta^2$$

$\langle n \rangle = G$ $N = 100$

CRITICAL $N \left(\frac{\chi^N}{\chi^N - 1} \right)$

OR. IT GOES TO $1/2$ NUMERICALLY - GIBBE PROVED

~~G~~ EXP $G \exp(-\epsilon/\tau_c) = 1$

$$\tau_c = \frac{\epsilon}{10GG} \rightarrow G = 1$$

NO TRANS!

N OPEN LINGS

$$P = \frac{\chi^N}{Z} = \frac{\chi^N (\chi - 1)}{\chi^{N-1} - 1}$$

AT χ_c $P \sim \frac{1}{N}$

